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## 




## 


$\underset{C}{\text { LOCAL } X C} \quad C$



DA A.

$$
\begin{aligned}
& \text { C DA epee e }
\end{aligned}
$$

$$
\begin{aligned}
& \text { B in } \quad \underset{A}{\text { a }} \text { a e } \quad \mathrm{y}
\end{aligned}
$$



C 14 C

ALABAMA A $\quad$ C NO LOCAL

LOCAL XC AN C
ABL O CON N con.ıned،
ec.ın

$$
\begin{aligned}
& \text { C D C O ON } \\
& \text { e ice e en. } \\
& \text { 1 in o Loc c neC } \\
& \text { - erod Dellized } \\
& \text { c ne e ice } \\
& \text { YLoc eep one eice } \\
& \text { Loc Lne } \\
& \text {.ended nd } p \text { nded } A \text { e } C \text { in ice } \\
& 14 \text { hyo c Cen, ly ice }
\end{aligned}
$$

$$
\begin{aligned}
& \text { roo o.ion } 0 \text { elvn } \\
& \text { Q ec.وy A . nce e ice } \\
& \text { Q ec.q y A } 1 \text {. nce } \\
& \text { Quec.qy } \text {, . nce C Co pe.ıon } \\
& \text { Ope \& A . nce } \\
& \text { B y Lne elic.ion } \\
& B \underset{\text { a }}{ } \mathrm{y} \text { Line elic.ion i. n.e p. } \\
& \text { Quec.gybun } \\
& \text { e ency e ice } \\
& \text { P.e fip.ion } \\
& \text { ni.y eep one } \mathrm{N} \text { e } \\
& \text { eeco nic.ıon e y eice ، } \\
& 14 \text { nd id } C \text { e } B \text {, A ne en. } \\
& \text { C. . o rzed Code e:ic.ion CC. } \\
& \text { ene e .ın } \\
& \text { C .o ized Code e:-ı C.ion Op.ıon }
\end{aligned}
$$

DA A.

$$
\mathrm{c} \text { d } 4 \quad \mathrm{~L}, \mathrm{D} \quad 4 \quad 14
$$

$\mathrm{N} \underset{\mathrm{O}}{\mathrm{CON}} \mathrm{AC}$
ec.ıon

CON AC N O NC

LOCAL XC AN

* LANA ONO YMBOL AND ABB


C
A ON D N A
e edin. $\because$ Q.ep. po eındic ed eo
C o , nyc ned e .ın
D o , niyd con.ın ed .e.e.e .ıon
o , niyınce ed .e
M 0 o niy o ein. e oc ıono e $\dot{\text { y }}$
$N$ o, niyne: eque . on ly
0 , $n y$ y el .el



C ON D N ONO M conın ed،
 inco in $c \quad a \quad$ o .ed.o de, $n$.ed $n$ in poin. en. e c ine doe no. n e


## ALABAMA A $\quad$ C NO LOCAL Qin $\quad$ e

 LOCAL XC AN CC ON D N ONO M con.ın ed،
 .eep onene Bydin $n$ cce code. e ence.e ceenin lyo p.o


 . e. e. ce c.l .ed
 pone nd en: $n$ c.o.ece
 ndiboide e e ddi.ion c oplion
 $n$ eqe $n$ eın nınco in .eep onec
n e.eC o e o ie d p yo. e.eep one n e nd
n e eqe n eın nınco ın .eep onec

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    CON AC N O NC
    ALABAMA A F C NO LOCAL
                LOCAL XC AN C
C ON D N ONO M con.ın ed،
ny CON AC N O NC nA co po ıon וC ।
```



C ON D N ONO M conın ed،

LA A A oc cce nd. n po. = e e. ' ed p. n. o . e Modıc.ıon o
 $G, A c, i o n$ No $Q$ e porion nd dinis.ion o co nic.ion e ice

Lc ing A co pe.ed c Q .eep onc co nic.ıon e. een cin ..ion ı. in. e oc e ice, e o.ec in ..ıon
 Me ।. $Q$ iton 0 1. pe econd





DA A
Bl in

AL


# ALABAMA A $\quad$ C NO LOCAL 

C

C ON LA ON con.ın ed،
n 」 $\mathrm{in}^{\mathrm{s}}$, ny c na $\mathrm{a}^{n}$
$\mathrm{n} \quad \mathrm{n} / \underset{d}{ } \mathrm{n}$ c $\mathrm{n}_{\mathrm{d}} \mathrm{n}$
eC o e ee q e.rno. e Co p ny Co p ny
 o. e.e in .ıno. e e ıceın connec.ın ı. ic . e eqıp en. ed ideqıp en. eın.e e condion en de, ed.oC o en $n$ en nd.er onye cep.ed C e e $\quad=\mathrm{e}_{1}=\mathrm{e}$. e Co p ny pon de $\begin{aligned} & \text { d }\end{aligned}$ a nyco. inam ed y. e Co p nyd e.o. e C .o ! $\because$ e.oco py ı. . porion
$L_{i}$ ( $a^{\prime}$ ) , ny

$=$ ni in or.e ice inc din .no. । i.ed.o $1 . e$
 . e e ice e. e c ed y c. Q o । ion e। i.ed.o
. ee.en iono o nce $Q$ in.e p.ion e. $Q$. in eoly ee en iono c o nce $Q$ in.e p.ion e . e oqe dylyo.eC d d a. a de.


C ON LA ON conın ed،

$$
\begin{array}{lll}
\mathrm{n} & \mathrm{n}^{\mathrm{g}} \leftrightharpoons & \text { ny c } \mathrm{n}_{\mathrm{a}} \mathrm{n} \\
\mathrm{~L}_{i} \text { iidy } & \text { ny c } \mathrm{n}_{\mathrm{a}}
\end{array}
$$

$$
\text { e Co p ny , } 1 . y \mathrm{e} \text {, , cond c. } 1 \text { e. } \quad \text { ed }=e
$$

$$
0 \text { dia o d inn= ıepoceedin । no. । i.ed y. । }=1
$$

$$
1 .=\text { e pec. o nyo.ec i o 1. y C .o o y ny }
$$

$$
0 . e d \quad e \quad 0 a . e d \quad \text {. } e q d e ı n \quad n c d i n \text {. e }
$$

$$
=\text { e e ıono ny peaıcn e o e i. e ice، in. .ın }
$$

$$
\text { inc din de y.e eo apo ion in ıon in.en nce. ep. } \downarrow
$$

in.e p.וon ere e iono ny e ices arıe o eed nde. '

$$
\therefore 1 \text { nd ec. o. eporion o ec.ıon . e Co p ny }
$$

। li.y ny e i r.ed poided een

$$
\text { e Co p ny no. e, eq nyde yo 'reo pe } \rho \text { nce }
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Q eq ip en. de.oc e eyond. coß o inc din , no. ' i.ed

ALABAMA A $\quad$ C NO LOCAL $\quad 1414 \mathrm{~d}$

CON AC N O NC LOCAL XC AN

ALABAMA A $\quad \begin{aligned} & \text { C NO } \\ & \text { Q }, ~ i n ~ \\ & \text { LOCAL }\end{aligned}$
C

C ON LA ON con．ın ed،

$$
\begin{aligned}
& \mathrm{n} \text { 」 } \mathrm{in}^{\mathrm{g}} \text { 」 } \quad \mathrm{ny} \mathrm{c} \mathrm{n}_{\boldsymbol{d}} \mathrm{n} \\
& L_{i} \text { iod a ny c nan }
\end{aligned}
$$

e Co p ny no．e，eq ny de ce en．oc ooe

 de ce en．o d e，c ed $y=0$ ne ence $\quad$ ।
，cond c．o．e Co p ny en．q e poyee No en．Q e poyee o o．e prapap anse edee ed．o e en． Q e poyee o．eCo p ny

No．ı．．ndin．e C ．o e ı ．ın e．Q．ın ec．ıon



C ON LA ON conın ed،

$$
\begin{aligned}
& n \not n^{g} \int \quad \text { ny c } n_{d} n \\
& L_{i} i\left(a y \text { ay c } n_{d} n\right. \\
& 9 \text { e en» e , r.yo. e Co p ny o nyc , o d eq } \\
& \text { e pen e. nyc e oe e innoe en. e ceed } \\
& \text { ě. ypid.o. e Co p ny yC.o e } Q \text {. e peally e ice }
\end{aligned}
$$

$$
\begin{aligned}
& \text { Co p ny eco enced qe. . oneyer e.e e ice } \\
& \text { 1. } \text { ende ed }
\end{aligned}
$$



C ON LA ON conın ed،

$$
\mathrm{n} \not \mathrm{in}^{\mathrm{g}} \int \quad \mathrm{ny} \mathrm{c} \mathrm{n}_{d} \mathrm{n}
$$

$$
\mathrm{L}_{i} i\left(\Delta y \quad, \quad \text { ny } \mathrm{c} \mathrm{n}_{i} \mathrm{n}\right.
$$

$$
\text { e Co p ny no. e । e q.eC .o e } 1=\text { e.o }
$$

$$
\text { । } 1.0 \text {, ın .o. e nece }-y \text {.ep inc din i. o. }
$$

$$
\text { । ו. וon } 0 . \text { inin in. in nd in. ınin nece }=y
$$

$$
\text { eq ip en. } Q \text {.e nd ppıe } q \text { in.e connec.ıno. e }
$$

e in eq ip en. a co nic.ion y.e o.e C .o e

$$
Q \text { ny.. } d p_{-1} \text { y c.ın i. en. .o. e Co } p \text { ny ne. } q
$$

$$
\text { eC } .0 \text { e ear icen e pe } 1 . \approx 1.0 \quad \text { y }
$$

$$
\text { nd } o \text {. } n \text { e en. nece }=y \quad c \text { ine connec.ıon } n
$$

$$
\text { dd.ıon. e C .o e en }=e . .1 \text { eq ip en. ndo }
$$

y.e q. . o ı. en.ı pope yın.e ced ı. . e
Co p ny e ice. . e e i n e i..ed

CON AC N O NC LOCAL XC AN

ALABAMA A $\quad \begin{aligned} & \text { C NO LOCAL } \\ & \text { Q }, ~ i n ~\end{aligned}$
C

C ON LA ON con．ıned،

$$
\text { e Co p ny , } 11 . y=1 \text { in }=0 \text { e } 0 \text { । ion o }
$$

I In Q d ec.gy ।. nco_ ecod , i.ed.o.e o n.

$$
c=\text { ed.o.ec oe e.e।.in et.in } Q \text { e ice }
$$

$$
\text { poided . no } c \text { : e o . e C .o e en e }
$$ Co p ny ，I．y，，i．ed．o

n con nc．ıon ．non p ，ed．eep onen e decıed in ec．ıon ．e Co p ny । no．e । e $Q$ Le Q．e o co pe．e ny c ．o c ．eep one en ．e c ，no．p ced y n e Co p ny $\quad=y$ ．o peen．edico：－eo．en e．o c．eep one．＇ no．e，e o d c n ed ed

DA A ．C DA ep．e e

B in $\begin{aligned} & \text { e } \\ & \text { A }\end{aligned}$ e $y$

$$
\begin{aligned}
& \text { n 」 } \mathrm{in}^{\mathrm{s}} \text { 」 ny } \mathrm{c} \text { nán } \\
& L_{i} \text { iod 」 ny c nan }
\end{aligned}
$$

$$
\begin{aligned}
& \text { CON AC N O NC ALABAMA A } \quad \text { C NO LOCAL } \\
& \text { LOCAL XC AN C } \\
& \text { C ON LA ON conın ed، } \\
& n \not n^{g} \int \quad \text { ny c } n_{d} n \\
& L_{i} i\left(\Delta y \text { ay c } n_{d} n\right.
\end{aligned}
$$

$$
\begin{aligned}
& \text { in } \quad 1 . y o . e \text { Co p ny y.e .opoce d.e c . e Ye. } \\
& \text { e । ı.ed.o n o n. eq .o. epopa.ın .e on. } \\
& \text { o . e Co p ny i in } Q \text {. e peıodo e ice din in . e } \\
& \text { Qo ad e occ. }
\end{aligned}
$$

DA A


CON AC N O NC LOCAL XC AN

ALABAMA A $\quad \begin{aligned} & \text { C NO LOCAL } \\ & \text { Q }, ~ i n ~ e ~\end{aligned}$
C

C ON LA ON con.ın ed،
$\mathrm{n} \int \mathrm{in}^{\mathrm{g}}$, ny $\mathrm{c} \mathrm{n}_{\mathrm{d}}^{\mathrm{n}}$

e Co p ny ere on eeq.o in. in a 1.1 e nd eqip en. . ..$=n$ e .o . e C.o e e C .o e y no. no y $C .0$ e per. 0 e $0=0 \quad n$ e d connec.
 ny o. e a a se eqip en. in. ed $y$. e Co p ny e cep. pon. e :-..en con en. o . e Co p ny ly
qip en. . e Co p nypoidedgin. ed.. e C o er.ele e eınconnec.ıon ı. .e e ice. e Co p nyo no. e ed o ny prepo eo. n. . Q ic . e Co p ny poided
e Co p ny no. e e pon । eq.e in. .on ope ion $Q \quad$ in.en nce o ny c o poided co nic.on eqip en. ee ceqip en. । connec.ed .o.e a a es

. e Co p ny e , i.ed .o.e $\quad=\mathrm{ni}$ in o a 1.1 e oed nde . $\quad \therefore$ nd .o.e in.en nce nd ope ıon o c al..e Beyond
. $\quad$ : e pon ${ }^{\text {r.ı. . e Co p ny no. e }}$ - e pon । eq

DA
C DA ep.e e




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CON AC N O NC ALABAMA A F C NO LOCAL
LOCAL XC AN C
C ON LA ON con.!n ed،
n & (n'g
    A ec.o.e = ee en.o. e Co p ny nd.o o. e
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```
            y e nde. en on = e on eeq. ' .. e eq e.o
        . eC .o e pea con= c.ıonı con: C.ıon nde. en
            e a aı, = eno.pe en.y , e nd. e e; no
            o. e, eq~e en. Q.e ame ocon% c.ed
            o .ypeo. e. n. . ic . e Co p ny o d nq y
                |meın. e = ni in o ו. e ıce
            oe = o.eo.e.n. . Ic. e Co p ny o d
                ng y וrzeın. e = nı in or. e ice
            in q nı.y=e.e. n. . ic . e Co p ny o d
```

CON AC N O NC
ALABAMA A $\quad \begin{aligned} & \text { C NO } \\ & Q_{1}, i n \\ & e\end{aligned}$ LOCAL XC AN C

C ON LA ON con.ın ed،

en eceı- eq e.edın:e e a
, e nd. e Co p ny nde yin cure no p n .o con. c. ne arıe in. e e: e pea Con: c.on C: e e ed $y$.e nde yin ance $y$ o ep ed.ro.o.e C .0 e

C: e e ed e pea Con: c.ıon , ec c .ed nd ppiedon c e yc e ।
ee e ed $y$. e nde yin anse nore nd e non

 ony.o e ceq de ene ed pea con. crion nd le
 en co pe.ed nd , ed

DA A.

$$
\begin{aligned}
& \text { C DA ep.e e }
\end{aligned}
$$

CON AC N O NC
ALABAMA A $\quad \begin{aligned} & \text { C NO } \\ & \text { Q in } \\ & \text { LOCAL } \\ & \text { e } 14\end{aligned}$

## LOCAL XC AN C

C ON LA ON conın ed،

e Co p ny $y_{r}$ eqュe C .o e o , ed .ey . do $n$ ।.
 o. e

DA A


CON AC N O NC LOCAL XC AN

ALABAMA A $\quad \begin{gathered}\text { C NO } \\ \text { Qi in } \\ \text { LOCAL } \\ \text { e } 14\end{gathered}$
C

C ON LA ON con.ıned،

$$
\text { 4. ep y eno ppic ec: e p. n.o. } 1 \rightarrow 1
$$

$$
\text { A }=e_{1}=1 n \text {. eCo p ny Q d e.o o o o. e Co p ny }
$$

$$
\text { al.e \& eq ip en. c ed y.e c. } Q \quad 0 \text { ion } 0 \text {. e }
$$

$$
C \text {.o e } Q \text { e nonco pı nce } y \text {. e C .o e } 1 . \text { e e }
$$

$$
\text { pe, e ne c ed } y \text {. ene, ence o, cond c.o. e }
$$

$$
\text { e poyee } Q \text { en. } o \text {. e Co p ny e Co p ny , pon }
$$

$$
=e_{1}=e \text { en. } Q d \text { e coope .e } 1 . \text { e C } 0 \text { e in }
$$

poec.in c । in..epe on c in c d e nd.e

$$
\text { C .o e e } \quad=0 \text {.ed.o. e Co p ny } \because \text {. o eco eyo }
$$

d e.o. e e en. o cpy en.
c، poidn .noc: e peaıed. o e.o. e yCo p ny Co p ny aıe ndeqıp en.ın. edon. epe e o.e e C .o e...eeeo e.ın nd $\downarrow$ condıonn nece :y.o ın. ın.. $n ı n$

$$
\begin{aligned}
& { }_{i} \mathrm{~g}_{d} \mathrm{n} \quad \text { 」 } \\
& \text { eC.o e } \\
& \text { Q e pon l eq }
\end{aligned}
$$

C ON LA ON con.ıned،

$$
\mathrm{g}_{d} \mathrm{n} \quad, \quad, \quad \mathrm{c} \mathrm{n}_{d} \mathrm{n}
$$

eC o e e pon, e Q conın ed،
d. o., nin in. ınn ndo.e । e in $=$ e pon । ity 0 $\Rightarrow$. o y nd condınece =y $\quad$ ın. . ıono op.ı c e nd oa .edeqip en. ed.opoide Loc c ne e ice.o.eC o e: o . ec e idn en ncelly pope.y ine.o. e oc ıono. e eq ip en. p ce deciedin c. Any co. oo .ed ı. o., nin nd ın. ının . e $\Rightarrow$. o y defi ed eeininc din.e nygde e ice
e. poidin ep ce.o $Q$ nd co pyin 1. nd
 ic Co p nye poyee nd en. ein. in $Q$ in. ınn. e Co p ny a a ile ndeq ip en. eC .o e $y$ e equed.oin. nd in. in Co p ny ame nd eq ip en. ।. in $z_{\text {r }}$ do $=$ e । in. e Co p ny opinion

 C o e e e pon, eq inde $n$ yin oniqin
$=$ e oin nd di poin o ny $z_{\text {r }}$ do .el e $\Rightarrow$ e


DA A.
C DA ep.e e

B. in

$$
\mathrm{L} \mathrm{e} 口 \mathrm{e} \quad \mathrm{y}
$$



C ON LA ON con.ın ed. $\mathrm{s}_{2}$


C ON LA ON con.ıned،

$$
\mathrm{g}_{i} \mathrm{n} \quad, \quad, \quad \mathrm{cn}_{d} \mathrm{n}
$$


nyo de. crong d e.opope.yo.e Co p ny o ny

 C o e o. ee.en.c ed yore in $=0$. ene , ence Q in.en.ion c. oly , iono C .o e ı. e poyee en. - epe en. ı e qin ıee $Q$
 copy, . p.en. $\quad$ de edye. $Q$ nypopie. yo in.e ec.
 . eC .o e inc din 1. o. 1 I. . on eo.e Co p ny e ice nd aıe in nne no. con.e $p$.ed $y$. e


DA A.
n n
 -d nt se in


DA A.
 C

C ON
LA ON con.ın ed،

$$
\begin{aligned}
& \text { - Ese } i \quad n_{2} n \quad n n \quad c n_{d n}
\end{aligned}
$$

$$
\begin{aligned}
& \text { poided eq ip en. connec.ed oo Co p ny eq ip en. nd } \\
& \text { aıse co p. } \quad \text { e i. c eq ip en. nd ame } \\
& \text { e ni. de nd c: c.e o.e o. e nd } c_{2} \text { en. } \\
& \text {, } p e \text { ed on Co } p \text { nypoided eqip en. nd } \downarrow \text { in } y \\
& \text {. e connec.ıon ope ıon } Q \text { in.en nce o c } \\
& \text { eq ip en. nd } \mu \mathrm{ln} \text { e c no. o c ed e } \\
& \text {.o. e Co p nypoided eq ip en. nd un } Q \text { in. y oo } \\
& \text {. e Co p ny e poyee } Q \text { o. pe on Any ddi..on } \\
& \text { po.ec.ı e eq ip en.:- eq료 }
\end{aligned}
$$

C ON LA ON con.ıned،

a...e $=\mathrm{n}$ ed nde. $1 \quad 4$ y e connec.ed.o C oo poided.e in eqip en.in cood nce ı. .eporion 0.1 -1
$\mathrm{n} \quad \mathrm{c}_{\boldsymbol{d}} \mathrm{n}$
por en eno.ıc.ıon.o. eC .o e nd.
$=$ e on e.t e.eCo p ny y e c.e. nd C o e co pyin 1.2 eque en. e. $Q$. in ec.ıon 14 o in. an ope ion nd in.en nce o connec.ıon o C .o epoided aı..e nd eqip en. .o Co $p$ nyo ned al..e ndeq ip en.
. epo.ec.ı eq.ıe en. Q C .o poided eq ip en. $\quad$ e no. en co pied 1. . e Co p ny y. e
c c.ıon 1 . dee nece $=y$.o po.ec. ı. a a..e eq ıp en. nd pe onne e Co p ny , no.ıy e C o epop.yr.eer ny need $0 \ldots$..eq ec.ı e
 C.oe .. e., ce ec.ı e c.ıon nd no.ıy.e Co p nyo.e c.ın. en . eC o e o odo. 1 . e Co p ny y. e .e dd.ıon c.ıon ' dee ed nece $\quad=\mathrm{y}$ in $14 \mathrm{~d} / 4.14 \mathrm{di4} 14 \mathrm{c} \quad \mathrm{d} .4$

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\begin{aligned}
& \text { CON AC N }
\end{aligned}
$$

$$
\begin{aligned}
& \text { CON AC N O NC ALABAMA A } \quad \text { C NO } \underset{\sim}{\text { LOCAL }} \\
& \text { LOCAL XC AN C } \\
& \text { C ON LA ON conın ed، }
\end{aligned}
$$

$$
\begin{aligned}
& \text { n } \\
& 9
\end{aligned}
$$

## LOCAL XC AN <br> C

C ON LA ON conın ed،
e C o e no. y e e Co p ny o ny di p.ed i.e on

$$
\text { 1. in } d y \text { on ecep. o. e } \quad \text {. e C .o e nd. e Co p ny }=\text { e }
$$

$$
\text { n e.a eo e. edip.e.o.e . } \quad \text { c.ıon.eC.o e y }
$$

ie co pin. i. e ic e ice Co i ion ın ccod nce i. . e
Co , ion : e o poced e
ed.eo. edip.e e. ed.e. e Co p ny ece e
ıaen. doc en. .ın.o en eı..oın e.ı .e. edip.e

$$
\text { ed.eo. } \theta_{-} \text {e o .ını. ed.e. e Co p ny co pe.e ı. }
$$

in e. . וon nd no.וe. e C .o e o. e d po ו. on o. e
dip.e

DA A.
C DA ep.e e
 B. in

$$
\begin{aligned}
& \text { CON AC N }
\end{aligned}
$$

$$
\begin{aligned}
& A \quad n c \quad y \quad n
\end{aligned}
$$


c $n_{d} n$
e Co p ny y.eq. e c depoi. pu .opoidin
 connaden. $1 . \quad Q$ inc ded in. e $\downarrow$. on. y in e Co p ny = ee e e -1 . o ce e ccep.n nd poce in ice $Q$ de . . $\quad$ eq e.ed eq.i.y depor. nd pig .o.e C .o e co pı nce 1. .1 - eq e. c.-eq. ed depo . no. e ceed. e on.


 perod $p$ lyo on. e., .ed.o

DA A . C DA ep.e e




An ddıion depor. y e eq. $\mathrm{ed}_{\ldots}$ o .eep one c.o enece re.o occend.eer no n
 eq en. y con $n_{\perp}$ edın $=1,1 n$. e depo,$e_{\perp \perp} e$ en. , no. e. $0=$ e $=$ icıon y e ppied ee.ec nic y
 e denied, . e depo is eq $\mu$ en.ı no. e.
C.o e yo.indepo e d 4


DA A.

$$
\begin{aligned}
& \text { C DA ep.e e }
\end{aligned}
$$

CON AC N O NC LOCAL XC AN C

C ON LA ON con.ın ed،

ic nan nc ic crnan
pon ı וono nyo. eo.e ele e condion $Q$ $=n_{1}$ in e ice. eCo $p$ ny $y$ y i in d y piQ no.ıceın $=1 . ı n .0$ e C .o dıcon.ıneq pende ice
 d y perod
pon conde $n$.ıno ny .e. pano. e alıe ed y . e Co p ny.opoide e ice.o C .o pi c .y $\Rightarrow$ ende $Q$ ny e, $p a . ı n o \quad c$ aıse ınope e


C ON LA ON con.ın ed،


$$
i c \quad n_{d} n n c \quad i c \quad c \quad n_{d} n
$$

e Co p ny ydi con.ıne. e = ni in o ny nde

$$
\text { e ice } 4.0 \text { C .o e 1. o.inasin ny, 1.y }
$$

ed .ey nd ı. o.no.ıce।. e Co p ny dee . . $c$ c.ıon, nece $=y . o p e$ en.o.opo.ec. in. $=$ dg.oo.e epo.ec.ı pe onne en. at.e - ace e Co p ny ydicon.ıne ace p. n..o.1 ec.ıon «in. e e en.

DA A.

$$
\begin{aligned}
& \text {.o. e Co } p \text { ny } e=d i n \text {. eC .o e } \\
& c \text { edi. } Q \text {. ine } p \text {. Q cis en. eo } \\
& \text { co on cur co nic.ion e ice } Q \text {. } \\
& p \text { nned eo e ice 4 } q \\
& \text { 4. eC.o epoide eing ion.o } \\
& \text {. e Co p ny e }=d n \text {. eC .o e } \\
& \text { iden.ıy dde } e \text { ed. Q.ine } p . Q \\
& \text { cure en. e o co on cure le co nic ion } \\
& \text { e ice } q \text { ı. } p \text { nned eo Co } p \text { ny } \\
& \text { e ice } 40
\end{aligned}
$$

```
CON AC N O NC ALABAMA A r C NO LOCAL
LOCAL XC AN C
C ON LA ON con.ın ed،
y n_A n g n c c ndm
    ic ndn nc ic cennn
                        e Co p ny y dı con.ın e. e n ni in o ny ndq
                                e ice 4.0 C .o e 1. 0..ncumin ny, |.y
    e Co p ny y dı con.ın e e ıcepr_ n..o.।
    ec.ıon sin. e e en.
    c. eC .o e een , en. e., e .d y
        ~i..en no.ıce y. e Co p ny e = din ny o n.
        p .d e q nyo. e Co p ny = e .ed
        co nıc.ın e ice .o ic.eC .o e
        ere&leq& &i ed.o e q
```

DA A . C DA ep.e e
eniq M n e e oy a -1


CON AC N O NC
LOCAL XC AN

ALABAMA A $\quad$ C $\begin{aligned} & \text { C NO } \\ & Q_{1} \text { in } \\ & \text { LOCAL } \\ & e\end{aligned}$
C

C ON LA ON con.ıned،

$$
\text { e Co p ny ydı con.ıne. e }=\text { nı in o ny nd } Q
$$

$$
\text { e ice } 40 \mathrm{C} .0 \text { e } 1.0 \text {.incesin ny, liy }
$$

e Co p ny y di con.ıne e ce p. n. oo. '

$$
\text { ec.ıon } \quad \text { in. e e en. }
$$

d. eC o e e Q ..e p. .o e e ıce ı. . eın.en. .o ad. ep y en. e. e in oeq in pr. o. e $\rightarrow$ ed $c: e q \cdot e$ ice y
d. in $Q$...e p.in .o e e ice yo e.u n in Co p ny e iceno. . Qized y. $1 \quad \approx 1 \quad Q$
d a in $\rightarrow 1 c$ cee eq in idn e e $c$ ed. de ice eeq onic de ice $Q$
d Anyo.e: $\quad$ d en. e $n Q$ de ice $Q$
e Co p ny y di con.n e. e $=$ ni in o ny nda

e. eC.oe e e iceın c nne .o ıne ee i. . e e ice oo e e e
eC o e e ece n p. poe

DA A.


C ON LA ON con.ın ed،


e Co p ny ydiconıne.e: ni in o ny ndo e ice ،.0 C .o e i. o.incinin ny, I.y


 nonco pı nce, no. ce ec.ed ı. in. e । e ،d yperod $Q$
e pen iong dicon.ın nce o ice a y.e Co p nyp. n.o., ec.ıon doe no ere e. e C o e o nyo, , ion opy. e Co p ny oc: e
 p.o pen ong di con.ın nce
pon. e Co p ny di con.ın nce o ece.o.e C.oeppic ec: e inc din in ion $c=e \quad$ eco ede 1' in ddion.o o.e $=$ e edie. y e , e.o. e Co p ny . o eq r.yo nde nyo.epotiono.1 $\quad \rightarrow 1$

DA A.
C DA ep.e e
enio Mn n e e oyA ${ }^{\text {e }}$


```
    CON AC N O NC
    ALABAMA A F C NO LOCAL
LOCAL XC AN C
C ON LA ON conın ed،
y n_A n g n clll
    ic n_n nc ic cennm
                            . e Co p ny d e.o nonp y en. .e po:=1yın.er p.
        e ice ndp y en.ı now ece ed s. in.en sd y
        O O |n
```



C ON LA ON con.ın ed،
$A \quad n c \quad n \quad \& \quad$ in ic e o o in poıion ppy.o e ice e cep. ı. e pec.o. e e ice .o.e e.en. , ny ıncon ı.en. ı. . e Co ly ıon $上 e$. ıon in ny e en. p $\neq y . a$ e iden.ı e ice


C ON LA ON conın ed،
$\mathrm{A} \quad \mathrm{nc} \quad \mathrm{n}_{\boldsymbol{a}} \quad \underset{\boldsymbol{a}}{ } \mathrm{n} \quad \mathrm{n} \quad$ ic $\quad \mathrm{c} \mathrm{n}_{\boldsymbol{i}} \mathrm{n}$
is $\quad n_{b} \quad a \quad n \quad c \quad n_{i} n$
. e C.o e. epo. e ice ar.y o aci. o e ınope se
 no.in.e p.ed

Q c c an ced. o nce e ey on. i con ide ed.o e dy Aced. o nce, ppıed on $p a_{\infty}$. $1 \quad 1 \mathrm{n} . \theta_{\infty}$.e peaıed ee nde $q$ Loc $L$ ne $q$ Loc $: n$ ice nd, dependen. pon. e en . o . eın.e

CON AC N O NC ALABAMA A $\quad$| C NO LOCAL |
| :--- |
| $Q_{1}, ~ i n ~ e ~$ |

## LOCAL XC AN C

C ON LA ON con.ın ed.
$\mathrm{A} \quad \mathrm{nc} \quad \mathrm{n}_{\boldsymbol{a}} \quad \boldsymbol{a} \quad \mathrm{n} \quad \mathrm{n} \quad$ ic $\quad \mathrm{c} \quad \mathrm{n}_{\boldsymbol{i}} \mathrm{n}$
$\mathrm{L}_{i}$ is $\mathrm{a}^{\mathrm{n}} \mathrm{nA} \mathrm{nc}$
Nos edi. o nce , e de $Q$
d. in.e p.ıon o iced=in ny peıodın ic . e Co p ny, no. , en nd. ee cce . 0 ı. 0 ו.וe nd eq ıp en. $Q$. e p. po eo ın e ı . ın ndco ec.ın in.e p.ıon
e. in.te p.ıon o iced.in perodin ic. eC .o e conın e o e. e ace on nı pıed ı
4. in.e p.ıon o e iced.in nypeıod en. eC .o e $=$ ee ed e ice.o. e Co p ny $q$ in.en nce p. po e $q$ Q
 - $\quad$ e


CON AC N O NC
ALABAMA A $\quad$ C NO LOCAL
C ON LA ON con.ın ed،

$$
\begin{array}{ccccc}
\mathrm{nc} & \& & \mathrm{n} & i c & \mathrm{c} \\
\mathrm{n} \& \mathrm{n} \\
& \mathrm{nc} & \& \mathrm{n} & \text { ic } & \mathrm{y}
\end{array} \quad \boldsymbol{\sim}
$$

C .o e no. ı 'ed I. ny e ice poided y.e Co p ny C o e poide:r..en no.ıce pea yin. epe 0 nce deraencyın . e ice nd 0 . e Co p ny ine $d y$ 'No.ıcepioda.o $\Rightarrow$ In . e deraen. pe nce occory ccep. e ind $\Rightarrow y$

 Ferod e m...en no.ıce a.e. pois nde on yde., e deıaen. pe q nce

$$
\begin{aligned}
& \text { o d.e C o e nd. e Co p ny = ee in =...n . . e Co p ny }
\end{aligned}
$$

## ALABAMA A $\quad$ C NO LOCAL Q।in $\boldsymbol{F}$

 C ON LA ON conın ed، $\mathrm{nc} \quad \underset{\quad}{ } \mathrm{n} \quad$ ic $\quad \mathrm{c} \mathrm{n}_{\mathrm{d}} \mathrm{n}$$=\quad \mathrm{g} \quad \mathrm{n}_{2} \quad \& \mathrm{n} \quad i c$

 e ice , e $p q=1 y$ in.e p.ed $y$. e Co $p$ ny nd $p y$ en. , no. . eceı ed ı. ın dy o o ın. eın.e pıon. e Co p ny ee e . e $\Rightarrow 1$. .o di conın e ice e ice ı diconın ed.. $\theta_{\text {e }}$ eq e.o.e C.o nd eq en. y. ee . $\quad$ ed $c=e \quad p p y \quad o \quad$ ne ın. . וon o e ice

CON AC N O NC
 LOCAL XC AN C

C ON LA ON con.ın ed،

c. . e Lne Connecıon C: e $\downarrow$. Occm ence ppie on c oe $=$ eq e. ny ddi.ın Line C ne C: e ppic e $\quad$. e e c .o e. eq e. । e , ed .. etne C n e C : e Addıon Ocay encer .e
d. ebneC neC: e ppie o ec.eep onen e $n$ ed en eq e.ed y.ec oo e
 e e cce, .e po-rydened $a$ nonp y en.

، ebneC $n$ eC: e ppie Q e. ।

C ON LA ON conın ed،
A $\mathrm{c} \boldsymbol{a}$. n
c n y ic
g con.ın ed.


 econd. y e ıce C: e


- e econd.y e ice $C=e$ ppie $Q$ in. in ne. $Q$ in.e ce


، e econd y e ice C: e ppıe enc nın ..ınne Q in. in . .ın ine

DA A.
C DA ep.e e

B in $\begin{aligned} & \text { e } \\ & A\end{aligned}$ Q $\quad$ y

CON AC N

C ON

0

ALABAMA A C

- C NO LOCAL Q।in $\boldsymbol{e}$
$n \quad n \quad A \quad$ 思
 d.ie in connec.ıon i. . e e ice nd ame poided y. e Co p ny 1. o . . e \& - ..en con en. o . e o. e p.e.y e cep. . . . e Co p ny y

. e Co p ny 4 pr n. o ny $e q \cdot n e o$. n.ı $y$ $\begin{array}{ll}\text { e. } & 0 \\ 0 & \text { e }\end{array}$
Co p ny
9
$\& \quad n \quad n_{i} c \& n$


LOCAL XC AN C

```
C ON LA ON con.ıned،
9 \(\quad a^{c} \quad n \quad n_{i} C \neq n \quad c \quad n_{d} n\)
    9 e Co pny Q.e C.o e die.e o.e p. y o ny c ne .o
    . e dde e de, n.ed \(Q\) no.ıce o.e co nic.ın \(Q \quad\) in \(y\)
    oo in. epoced, e \(Q\) । in noıce e. \(Q\). een
    9 ny \(n_{\&} c_{\perp} \mathrm{n} \& \mathrm{n}\) nc \& n
        e C.o e . e.e oo in ing . ın dde e \(Q \quad c\) nce \(\quad\) on nd
        d connea eq e.
```



```
            \(L\) e \(\quad\) y \(\mathrm{L}_{\mathrm{L}}\) in AL A NC nce . on
```

ALABAMA A $\quad$ C NO LOCAL Q1, nod n. d

C ON LA ON con.ın ed،
$i$ a n is
e Co p ny: e e e . e: . . o id.e.e ced. Q.ine o
 dee ede. , ed,
 ppopi .e e n inc din . no. ı ı.ed.o.epod c.ıono - nı e ea ence. y eqic y ndine pen 1 ey
c ec ed $y$. e Co p ny
4 e ppıc n. een c.o e o. e Co p ny o i in .ype
o e ıce ı. ın peıodo en.y or con ec ı e ıın $p$ ecedin
. ed.eo ppıc ıon nd d.ın. . e .. e econ ec . e । $n$ $Q$. pip e ice no. d e ice di conın ed $Q$ non
$p y$ en o , $Q$ d Qe. noneocc ionin ic $\quad$ no. pid ı. ın. eperodpeai ed $y$. \& $e$ on $\& e$. $\begin{gathered}\text { on } o . e ~\end{gathered}$ Co p ny on ıe ı. . e Co 1 ıon poıded. .. e e e perodic $Q$ c peıo e ice eq .o.e . i.ype cen. 0 . . e . .ed $Q$. ene e ice ndpoided $=$.e
. .. esced.o. e ppic n.ı nı p. ed $Q$
 $1 Q$ e e ice eq e.edın peaıed o n. no. .oe ceed. e o n.o.ec depoıpeciedın ec.ıon 0.ily. $\boldsymbol{\sim} 1$
d. e ppic n. e c depo ı. .o ec. ep y en. o ı e
e icepecıedın ecıon 0.1~1
e. An ppıc n. q ice opeıo y een c.o o. e Co $p$ ny nd o e ice eendı conın ed $y$. e Co $p$ ny d_in . e .. e e ıın o. . piq e ıce ec eo nonp y en. o , y \& equed.q ee . $\& \in$ edi.ın $c c o d$ nce. ec.ı $\quad$ e cep. . $n$ ppıc n. $q$ e iden.ı e ice no. edenied e ick o $1=e .0 p$ y c $\quad$ o c e o nope ıdenı e ıce

DA A.

B. in

$$
L e q e \quad y
$$

```
    CON AC N O NC ALABAMA A r C C NO LOCAL
LOCAL XC AN C
C ON LA ON con.ın ed.
    Acc n. -i
A ine c.o ' ec : ed on. y Acco n. De. । ee o p. po e o.e Acco B d d d
```



CON AC N

LA ON con.ın ed.

e ice yno. e e od i. o.


```
    CON AC N O NC ALABAMA A F C NO LOCAL
                LOCAL XC AN
    C
C ON C D C F ON
    (c) E n
        icng L c E c n g
            ne o.e ' eındic.ed c = e. edin ' econdince en. nd
            c ic = e, c.lon o in.e = o_o ndled p.o ne iz 'ly econd
        ince en.
        Q . .lon.o ..ıon c c . in e in en connec.ıon ।
        e. । ed e. een. ec in .eep one nd. ec ed.eep one ..ıon
        Q pe on.o pe on c c . in e in en connec.ıon, e. ' ed
        e. een. ec in pe on nd. e pr.ac: pe on .,.ong o,e n.
        peared.g n - eed en.e
        C & in end en.ec in, son f n p p nd . ee y
        = ee in .e ne.Q connec.ıon. e c ed..on! n p .. e
        c in ..ondoe no. c: e e., e end en. e ne. & connec.ıon,
        = ee ede.e y .0 .c.ו in eq।.ee d ،d a c، d,d... 44
```

ALABAMA A $\quad \mathrm{C} N \mathrm{LOCAL}$ Qu. 14

$$
\begin{aligned}
& \text { CON AC N } \\
& \text { E } \mathrm{n} \quad \mathrm{n} \text { E } \mathrm{n} \quad \mathrm{~A} \quad \mathrm{in}^{\mathrm{g}} \quad \mathrm{c}
\end{aligned}
$$

$$
\begin{aligned}
& \text { CON AC N O NC ALABAMA A } \quad \begin{array}{l}
\text { C NO LOCAL } \\
\text { Q } 1, ~ i n ~
\end{array} \\
& \text { LOCAL XCi AN } \\
& \text { C } \\
& \text { C ON C D C ON conn edo } \\
& \mathrm{n} \quad \mathrm{c} \quad \mathrm{n}_{\boldsymbol{i}} \quad i \mathrm{c}
\end{aligned}
$$



C ON C D C $\quad$ ON conın ed،



$C O=n \quad D_{l}$ ec. $n=d D_{l}$ in $D D_{1} D_{l}$ ec. $O . \quad d D_{1}$ in DOD، nd
Co in .on: $n$, ice poide C.oe i. $n_{1}$ i.ed oc $c$ in
 ind id e c $n$ e ine nd ppg. $\quad$ ine nin oe $=0$ porn

 . e Co p ny on di. ncepod c. n. .ınc: e o ppy

DA A.
C DA ep.e e

B in A


」 A $i \triangleleft \mathrm{nc}$
AC.o e y o.in.e 1. nce o oc ope .o o co pe.e oc e c n e.eep one c in. e o o in nne



$d$ nce $q$ en q eied $y$. e ope $Q$
c, Foide. eC .o i. . ec p ır.y.oc: ec.o.eced $p_{1}$. y On. e ope . $Q$ nno nce en. o co ec. c . ec ed p. .y . e op.ıon . Q e eın d nceq enqeıed y. eope $Q$
in roide. eC or i. . ec p iry.op ce coin coin



 . e ope $Q \quad$ c di in in. c.ıon co my a a.y code $=e$ code ine ıon nd C o e ice eep one $n$ e doe no eqe. . e ope . .oco pe.e c

DA A. C DA ep.e e


L $\underset{A}{e}$ Qe $y$
CON AC N O NC ALABAMA A $\quad$ C NO LOCAL
Q in $\boldsymbol{\sim} \quad \mathrm{e}$
LOCAL XC AN ..... CC ON CD C ON conan ed ،

LdCO

CON AC N O NC ALABAMA A $\quad$| C NO |
| :--- |
| $\mathbb{Q}, ~ i n ~$ | LOCAL XC AN C

C ON C D C F ON conın ed،
$9_{i} c_{\mu} y_{i} d^{n}$ c $n_{d n}$

> nc $L_{i} \AA^{\mathrm{n}} \mathrm{A}$, ın ınc din dd.ıon .eep one
> $n$ o.e eq no.e C . o o ec edin. ee en.
> .ee, no $n=0$.eC o e eep one C: e $Q$ - ee ence, $\quad$ n $=$ e pearedın ec.ıon 14

9
 Q ec.Qyban $=$ e e. Q.in ec.ion 14
 e ıce ec.o ' $1 . y \mathrm{n}$ nced . e r.y.o eec.ı ey
 e ency e ice oc edcoe..o.ecen ddıon.eC o e dde nd .eep one ing a on i epoided.o.epl $=$ y poide e.e

 anle o cace o in LAA c 1. o. din. e Acce Code $\theta_{0}$.e pearedın ec.ıon, ppyec.ı e.eC o eqe. c n e.o

- in LA A C eq en. o. einı de, $n$, on e Co p ny ee e

CON AC N O NC CC $\because$ No
 . e C o e. e Co p ny y in .eep one ne . . e . o.



 . ne o. .ed., ee $y$ e $=n$ ed on $n$ indi, $d$ $c$, CB، in $\because$ e pone.q eq e. yC .o .o. e Co p ny $q$ popo $Q$ Q
 C .o e p. n. o con c. nd ec. o . e Co 1 ion = e nd
 ddiıon.o.e ppic e.e an nd pice in o.e ec.ıon o. . $\rightarrow 1$
 on nondicin iny ।

$$
\begin{array}{ll}
\& \quad & \quad \text { icin } \\
n & \mathrm{~g}_{i} \mathrm{n}
\end{array}
$$

$$
\text { ، C .o ized Code e erc.ion } e \text { ice. . en e c .o e . } 0
$$

$$
=\text { eqc. ce. in ype o o. an c } \quad=0 \text { en } p \text { ced oe. er }
$$ ec neıne n icp r.yı poidedony y en o

 $=10$ e. o code o e encced nd, $\quad$ e oo ic e c n e
 ine.e. e eq e : ed .e e ice

DA A.
C DA ep.e e

Leqe $\quad \mathrm{y}$


ALABAMA A $\quad$ d 4

## LOCAL XC AN C

C ON C D C F ON conın ed،

L c concc ic
C o er.e ie qip en. $M$ in.en nce Co e epoide ne. ine dy
 p. de nd o ınepe en.ı e in.en nce e ıce 1 coe epoide. e $c .0$ e $1 . \quad$ nce. .. e Co p ny 1 eep. eG in ood $Q$ in $Q$ de

 - ep. e eno. nece 1. .ed y c .o ne , ence, e e eq p en.

 $c: e q d \quad e c$ ed $y, \ldots n \quad$ po $\quad=e \leadsto e$ ind ood nd $e_{2} . q \quad e \quad$ en $c$ e en., $e_{-}$e.o $n$ Ac.o od $D$ ec ed y po e $=\mathrm{e} \mu \mathrm{e}$ nd ood ic । no. . $\theta_{2}$ e .o nAc.o od, peaic y
 dy nd e in , eınc e o.e.g o o eqip en.

DA A
C DA ep.e e



ALABAMA A $\quad \begin{aligned} & \text { C NO } \\ & \text { Qin } \\ & \text { in } \\ & \text { LOCAL }\end{aligned}$

## LOCAL XC AN C

C ON 14 A

| $i n$ | $f^{c}$ |  |  |
| :--- | :--- | :--- | :--- |
| $\ldots$ | $i \mathrm{c}$ | $i \mathrm{n}$ | $\mathrm{L}_{i} \mathrm{n}$ |

14 B ic B ıne Lne
$14 \quad n=d$ On y B ine Lne
ic in n
$\mathrm{n} \quad \mathrm{n}$

| 14 | - | in $^{\text {g }}$ Lin |
| :---: | :---: | :---: |

CON AC N O NC LOCAL KC AN

ALABAMA A. $\quad$ C NO LOCAL C

C ON 14 A conan ed.

| $i n$ | $c$ | $c n_{i n}$ |  |
| :--- | :--- | :--- | :---: | :---: |
| $\cdots$ | n | c | $\mathrm{n}_{\boldsymbol{i}} \quad i c$ |




DA M- c

$$
\begin{aligned}
& \text { C DA AD. }
\end{aligned}
$$

$$
\begin{aligned}
& \text { B in A } y
\end{aligned}
$$

CON AC N O NC
LOCAL XC AN

ALABAMA A $\quad \begin{aligned} & \text { C NO } \\ & Q_{1} \text { in }\end{aligned}$ C

C ON 14 A conın ed.

$A E L$


$$
\mathrm{n} \mathrm{c} i \mathrm{n} \mathrm{~g}_{\mathrm{c}} \quad \mathrm{~g} \quad \& \mathrm{n} \quad \& \quad \mathrm{pe} \quad \mathrm{e}
$$

DA A . C DA ep.e e

$$
\begin{aligned}
& \text { Blin A }
\end{aligned}
$$ con.ın ed.

in
, c
c $\mathrm{n}_{\boldsymbol{d}} \mathrm{n}$
an
-

e on y eaminc: eq.1 e $\quad$ e ediconed en C o poide doc en. . on.o Co p ny. . C o e een $p e$ en.ed $1 . \quad$ on de. $n$ ofin $y$ co pe.ın ancp $p$ eo e in C o e. . d con. . e on. yc: eq. C e \& e

DA A
 LOCAL XC AN

C
C ON 14 A conın ed.



C ON 14 A conın ed.

$$
\begin{aligned}
& i n \not \subset c c c_{a} n \\
& \text { - ic }
\end{aligned}
$$

$$
\begin{aligned}
& \text {. e o o in: .e. e } \\
& \text { M e e } \mathrm{n}_{1,1} \text { Addııon } \\
& \text { Mn .e Min.e }
\end{aligned}
$$

$14{ }^{14}$

$$
14
$$

14

DA A
 NC

$$
\mathrm{BL}_{\mathrm{L}} \text { in } \stackrel{\mathrm{L}}{\mathrm{e}} \underset{\mathrm{~A}}{ } \mathrm{Q} \mathrm{e} \quad \mathrm{~F}
$$



C ON 14 A


C ON 14 A conın ed.

CON AC N O NC ALABAMA A $\quad$ C NO LOCAL LOCAL KC AN

C

C ON 14 A con.ın ed.
$i$ na,$~ c$
$\mathrm{n}_{\mathrm{y}}^{\mathrm{y}} \quad \mathrm{c} \quad \mathrm{in}^{\mathrm{g}} \quad \mathrm{g} \quad i \mathrm{n}_{\boldsymbol{i}} \quad i c$
ic $\quad \mathrm{g} \quad \mathrm{n} \quad \mathrm{n}$

DA A . C DA epee e


$$
\begin{aligned}
& \text { CON AC N O NC ALABAMA A } \quad \begin{array}{c}
\text { C NO } \\
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\end{array} \\
& \text { LOCAL XC AN } \\
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\end{aligned}
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\begin{aligned}
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\end{aligned}
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C ON 14 A con.ıned،
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A
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Ope $Q$

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pe on ope .Q, .ed $c$ e $c$ din.o e i ed.o
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DA A.

CON AC N O NC ALABAMA A $\quad$ C NO LOCAL LOCAL XC AN C

C ON 14 A con.ın ed.

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DA A

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CON AC N O NC

$$
\begin{array}{ccccc}
\text { ALABAMA } & \text { A } & \boldsymbol{Q} \text { NO } & \begin{array}{l}
\text { LOCAL } \\
\mathrm{Q} \\
\mathrm{~N}
\end{array} & \mathrm{C}
\end{array}
$$ LOCAL KC AN

C ON 14 A con.ın ed.

A $\quad c_{i} \& \mathrm{n} \quad \mathrm{g}$
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DA A.


